

# **Traditional Values, Modern Vision**

## **Maths Calculation Policy**

Reviewed: November 2023 Next review due: November 2025

#### Introduction:

The following policy has been written in line with the programmes of study taken from the National Curriculum for Mathematics (2014) for the teaching and learning of mathematics. Its primary aim is to offer pupils a consistent and smooth progression in the teaching and learning of calculations across the school. This policy provides guidance on the calculation strategies, methods and progression from Years 1 to 6. It aims to help parents to help their children, as well as provide guidelines for teachers to provide consistency in the teaching of mathematics across the school.

### Aims of the policy:

Through the National Curriculum, we aim to ensure that all pupils:

1. become fluent in the fundamentals of mathematics, including through varied and frequent practice with increasingly complex problems over time, so that pupils develop conceptual understanding and the ability to recall and apply knowledge rapidly and accurately.

2. reason mathematically by following a line of enquiry, conjecturing relationships and generalisations, and developing an argument, justification or proof using mathematical language.

3. can solve problems by applying their mathematics to a variety of routine and non-routine problems with increasing sophistication, including breaking down problems into a series of simpler steps and persevering in seeking solutions.

### Progression in calculation:

This policy will ensure consistency and progression in our approach to the learning and teaching of calculations across the school ensuring smooth transition from one year group to the next. It will enable our children, teachers and parents to work in partnership, developing an efficient, reliable, formal written method of calculation for all four operations and to use these methods accurately with confidence for understanding.

### White Rose Maths:

As a school, we follow the White Rose Maths scheme and use their methods of calculation. These can use concrete resources, pictoral or abstract methods. Children are taught maths through fluency, reasoning and problem solving. We believe it is important that any type of calculation is presented within a real life context or given in the form of a problem to be solved. This not only serves to help build children's understanding of the purpose of calculation, but also develops their ability to recognise what operations to use and when.



### **Addition**























### **Subtraction**



















## **Times Tables**



Skill: 2 times table	Year: 2
	<ul> <li>Encourage daily counting in multiples both forwards and backwards. This can be supported using a</li> </ul>
	Look for patterns in the two times table,
1       2       3       4       5       6       7       6       9       10         11       13       15       17       19       19       10         21       23       25       27       29       29       10         31       33       35       35       37       39       39       10         41       43       45       47       49       69       10	using concrete manipulatives to support. Notice how all the numbers are even and there is a
0 1 2 3 4 5 6 7 8 9 10 11 12 13 14 15 16 17 18 19 20	<ul> <li>→ Use different models to develop fluency.</li> </ul>

Skill: 5 times table										Year: 2					
	() ()	h s	e a la l	B M (e)		m m )(e		1000	 10 15 2 20 0		- 0000	+++ 45 50	+ + 55 60	→ >-	Encourage daily counting in multiples both forwards and backwards. This can be supported using a number line or a hundred square.
_		_	_										$\bigcirc$	l	the five times table,
1	12	13	4	6	16	17	18	19 00						1	using concrete
21	22	23	24	6	26	27	28	29 00							support. Notice the
31	32	33	34	6	36	37	38	39 🐠					$\bigcirc$		pattern in the ones as
41	42	43	44		46	47	48	49 😡					$\bigcirc$	1	well as highlighting
-	+	12	+ 3	+++	5	+0	+7	+ + 8 9	2 13	14 15	+ 16 17	18	19 20	$\rightarrow$	the odd, even, odd, even pattern.





Skill: 8 times table													Year: 3		
					1	2	3	4	5	6	7	(8)	9	10	Encourage daily
					11	12	13	14	15	6	17	18	19	20	counting in multiples,
			<u>u</u>		21	22	23	24	25	25	27	28	29	30	supported by a
0	0		0	0	31	0	33	34	35	36	37	38	39	•	hundred souare
()	0	2	()	5.	41	42	43	44	45	46	47		49	50	Look for patterns in
1	San	33	25	205	51	52	53	54	55	6	57	58	59	60	the eight times table.
0	« 10	× (	24	70	61	62	63	6	65	66	67	68	69	70	using manipulatives
0	10	)	24	52	71	$\odot$	73	74	75	76	77	78	79	60	to support. Make links
100					81	82	83	84	85	86	87	88	89	90	to the 4 times table,
8	16	24	32	40	91	92	93	94	95	96	97	98	99	100	seeing how each
48	56	64	72	80											multiple is double the
-0		<b>) ()</b>     16 24	→ <	>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>	)) 	· 7	2	×××	×	8 9	<b>0</b> + 96		•		fours. Notice the pattern in the ones within each group of five multiples. Highlight that all the multiples are even using number shapes



	Skill: 9 times table														Year: 4
_			_		1	2	3	4	5	6	7.	8	0	10	Encourage daily
++	щ				11	12	13	14	15	16	17	1	19	20	counting in multiples
~					21	22	23	24	25	26	0	28	29	30	both forwards and
					31	32	33	34	35	36	37	38	39	40	backwards. This can
					41	42	43	44	6	46	47	48	49	50	our supported using a
9	18	27	36	45	51	52	53	0	55	56	57	58	59	60	hundred souare
54	63	72	81	90	61	62	63	64	65	66	67	68	69	70	Look for patterns in
-					71	$\odot$	73	74	75	76	77	7,8	79	80	the nine times table
					(8)	82	83	84	85	86	87	88	89	0	using concrete
					91	92	93	94	95	96	97	98	9	100	manipulatives to
<b>00</b>	>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>>	<b>)))))</b>     18 27	<b>0</b> 0 	00000 	000 			9	0 0	+ 99	<u>о</u> к	)) 	⊘ →		support. Notice the pattern in the tens and ones using the hundred square to support as well as noting the odd, even pattern within the









# **Multiplication**



Skill: Solve 1-step problems using multiplication	Year: 1/2
	Children represent multiplication as repeated addition in many different ways. In Year 1, children use concrete and pictorial
One bag holds 5 apples. How many apples do 4 bags hold?	representations to solve problems. They are not expected to record multiplication formally
5+5+5+5=20 4×5=20 5×4=20	In Year 2, children are introduced to the multiplication symbol.

UNI	ii: Mu	itipl	y 2-digit i	lumbers by 1-d	iigit	nu	mb	ers			Tear: 5/4
Hundraft	(3111	Tere	-		н	T	0			Info	ormal methods
						3	4			me	thod are used in
	#			×			5			Yea	r 3 before movin
	-					2	0	(5	× 4)	ont	to the short
				+	1	5	0	(5 ×	(30)	mu	Itiplication metho
	-				1	7	0			Pla	ear 4. ce value counter
	crim		34	× 5 = 170						sho sup	uld be used to port the
×	н	т 3	<b>34</b> 0 4 5	× 5 = 170						sho sup und sup mu chil time	uld be used to port the lerstanding of th thod rather than porting the ltiplication, as dren should use es table
×	H	T 3 7	<b>34</b> <b>0</b> 4 5 0	× 5 = 170						sho sup und sup mu chil time kno	uld be used to port the lerstanding of t thod rather tha porting the ltiplication, as dren should us es table weledge.





	Skill: Multiply 2-d	Year: 5							
30									When multiplying a multi-digit number by 2-digits, use the area model to help children understand the size of the numbers they are using. This links to finding the area of a
						н	т	0	the space covered by
		×	20	2			2	2	the Base 10.
1		30	600	60	×		3	1	matches the area
		1	20	2			2	2	model as an initial
		24 21		17		6	6	0	before moving on to
	22 × 31 = 682					6	8	2	the formal written multiplication method.

Skill: Mu	Year: 5							
				Th	H 2 4	T 3 3 6	0 4 2 8	Children can continue to use the area model when multiplying 3- digits by 2-digits. Place value counters become more efficient to use but Base 10 can be used
				1 <sup>7</sup> 7	1 <sup>0</sup> 4	2 8	0 8	to highlight the size of numbers. Children should now
		X	200	2	50		4	move towards the formal written method, seeing the links with the grid
234 × 32 =	= 7,488	2	400	6	50		8	method.

Skill: Mu	ltiply 4-di	igit nu	mbers	s by 2-	digit numbe	ers Year: 5/6
	TTh	Th	н	T	0	When multiplying 4- digits by 2-digits, children should be
		2	7	3	9	formal written method.
	×			2	8	If they are still
	22	1 5	9 3	7	2	struggling with times tables, provide multiplication grids to
	15	4	1 7	8	0	support when they are focusing on the
	7	6	6	9	2	use of the method.
2,739 × 28	= <b>76</b> ,6	592	1			Consider where exchanged digits are placed and make sure this is consistent



**Division** 



Skill: Solve 1-step problems using m	nultiplic	atio	n (sh	aring	)	Year: 1/2
			20 1			Children solve problems by sharing
	?	?	?	?	?	amounts into equal groups.
There are 20 apples They are shared equally How many apples are	altoget betweer in each 20 ÷	her. 5 tbag	oags. {?	)(•	•••	In Year 1, children use concrete and pictorial representations to solve problems. They are not expected to record division formally. In Year 2, children are introduced to the division symbol.

Skill: Solve 1-step problems using division (grouping)	Year: 1/2
There are 20 apples altogether. They are put in bags of 5. How many bags are there?	Children solve problems by grouping and counting the number of groups. Grouping encourages children to count in multiples and links to repeated subtraction on a number line. They can use concrete
20 ÷ 5 = 4	representations in fixed groups such as number shapes which helps to show the link between multiplication and division.











Skill: Divid	Year: 5					
Hundreds Tens	Crest Construction Construct	Tens	2 8	1 5	4 16	Children can continue to use grouping to support their understanding of short division when dividing a 3-digit number by a 1-digit number. Place value counters or plain counters can be used on a place value grid to support this understanding. Children can also draw their own counters and group them through a more pictorial method.



	Skill:	Divid	Year: 6								
	12	0	3 4 <sub>3</sub>	6 7 <sub>2</sub>			432	÷ 12	2 = 3	6	When children begin to divide up to 4- digits by 2-digits, written methods become the most accurate as concrete and pictorial representations become less effective. Children can write out multiples to support
							0	4	8	9	larger remainders.
7,335 ÷ 15 = 489						15	7	73	133	<sup>13</sup> 5	solve problems with remainders where the
15	30	45	6	i0 7	'5	90	105	120	135	150	quotient can be rounded as



Skill: Divide multi digits by 2-digits (long division)													Year: 6			
										2	4	r	1	2	1 × 15 = 15	When a remainder is left at the end of a
							1	5	3	7	2				$2 \times 15 = 30$	
770 . 15 . 04 10						-	3	0	0				3 × 15 = 45 4 × 15 = 60	calculation, children can either leave it as remainder or convert		
$3/2 \div 15 = 24 \text{ r} 12$																
						12.2		-		6	0				$5 \times 15 = 75$	it to a fraction.
								1	2				10 × 15 = 150	This will depend on		
										question.						
				2	4	4										in the second
	1	5	3	7	2	- 5										Children can also
		-	3	0	0			770 . 15 . 04 4								where the quotient
				7	2			3	14		- 1	Э	=	24	•5	needs to be rounded
		-		6	0											according to the
				1	2											Context



### **Glossary**



Addend - A number to be added to another.

Aggregation - combining two or more quantities or measures to find a total.

Array – An ordered collection of counters, cubes or other item in rows and columns

Augmentation - increasing a quantity or measure by another quantity.

**Commutative** – numbers can be added or multiplied in any order.

**Complement** – in addition, a number and its complement make a total e.g. 300 is the complement to 700 to make 1,000

**Difference** – the numerical difference between two numbers is found by comparing the quantity in each group.

**Dividend** – In division, the number that is divided.

**Divisor** – In division, the number by which another is divided.

**Exchange** – Change a number or expression for another of an equal value.

Factor – A number that multiplies with another to make a product

**Minuend** – A quantity or number from which another is subtracted.

**Multiplicand** – In multiplication, a number to be multiplied by another.

**Partitioning** – Splitting a number into its component parts.

**Product** – The result of multiplying one number by another.

Quotient – The result of a division

**Reduction** – Subtraction as take away.

**Remainder** – The amount left over after a division when the divisor is not a factor of the dividend.

Scaling – Enlarging or reducing a number by a given amount, called the scale factor

**Subitise** – Instantly recognise the number of objects in a small group without needing to count.

**Subtrahend** - A number to be subtracted from another.

**Sum** - The result of an addition.

**Total** – The aggregate or the sum found by addition.